

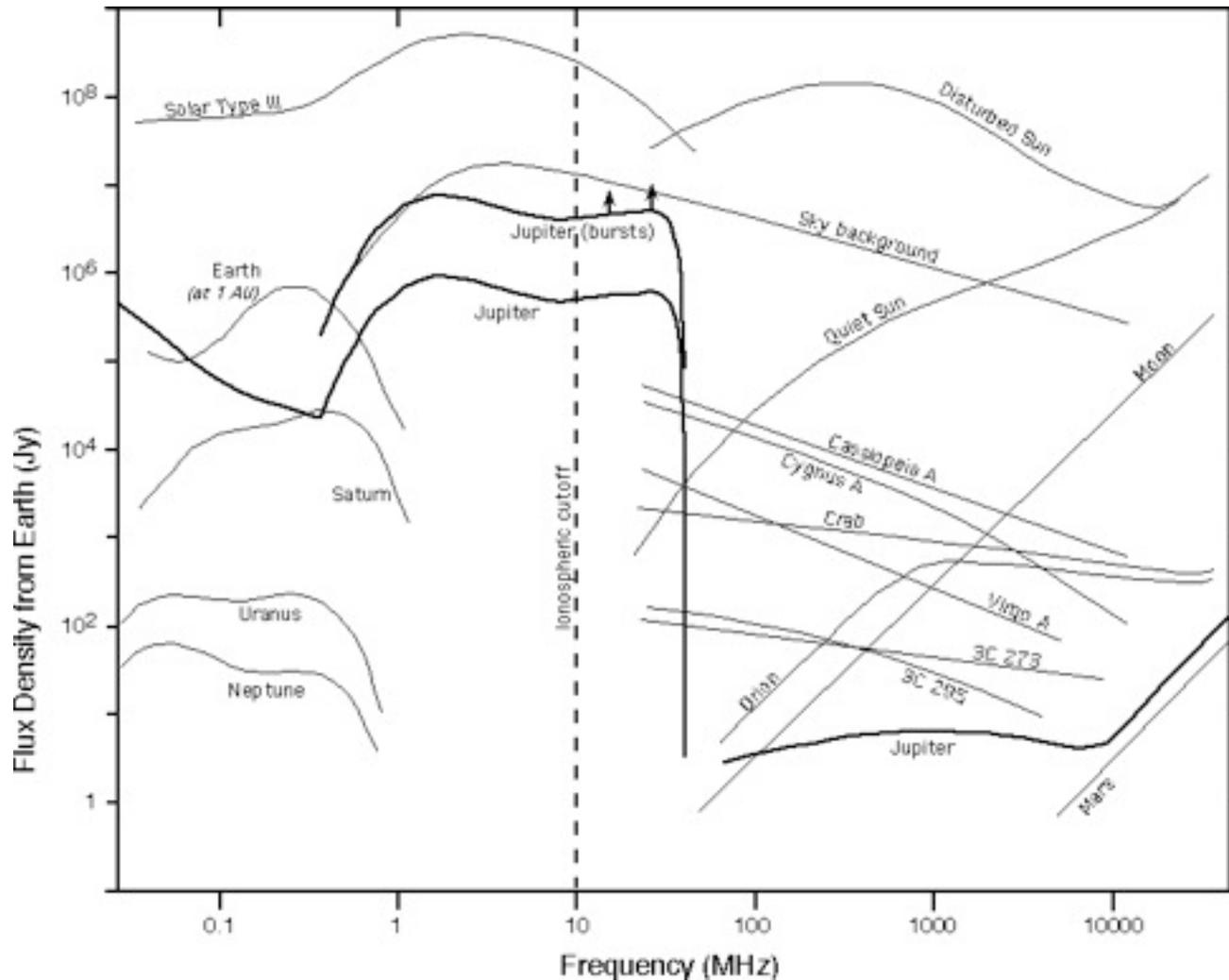
# Extrapolating to “Hot Jupiters”

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- Spectra of typical radio sources
- Sky background  $T \sim 1.15 \times 10^8 / f^{2.5}$
- Solar and planetary emissions very intense



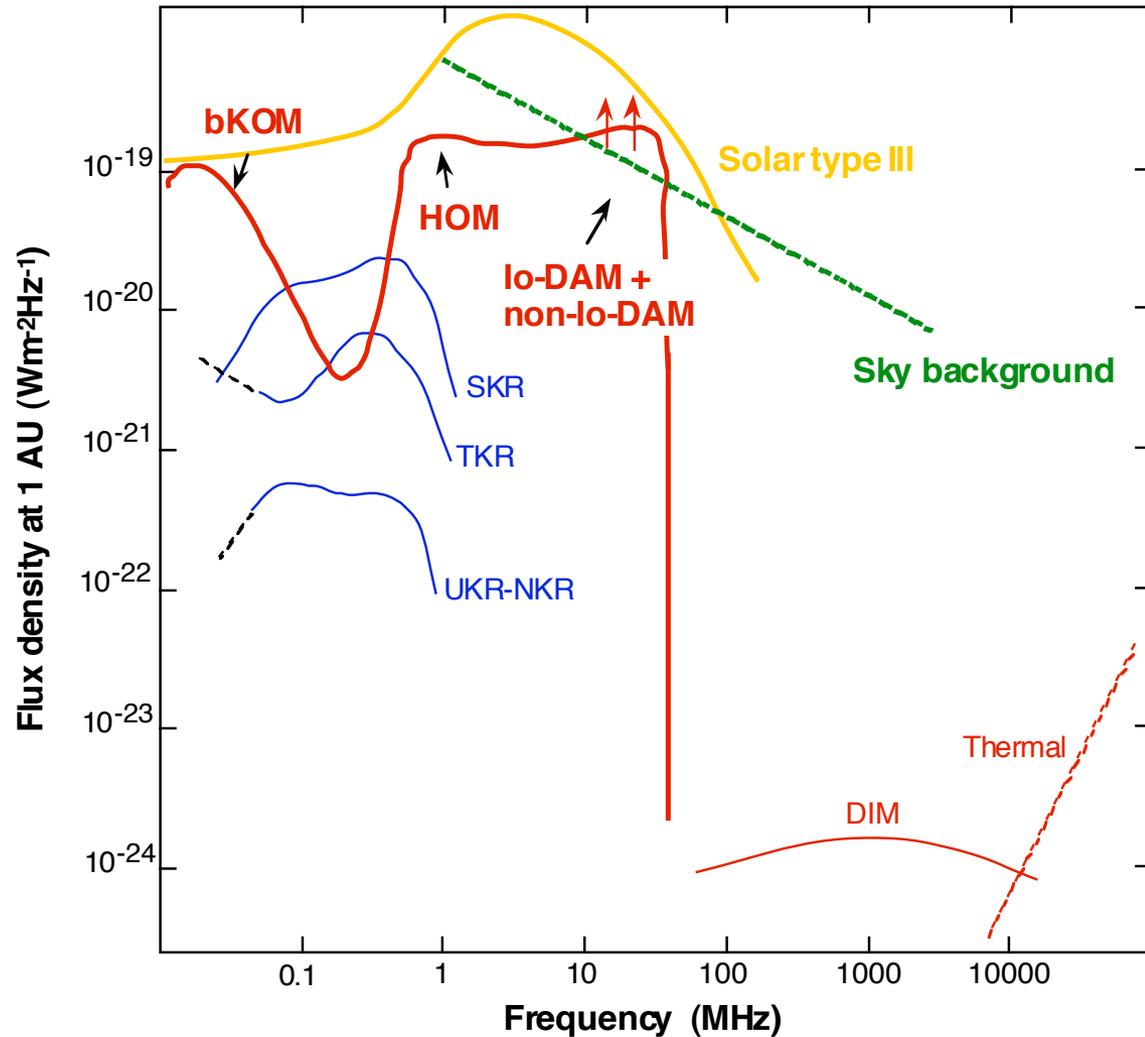
- **Radio emissions from magnetized planets**

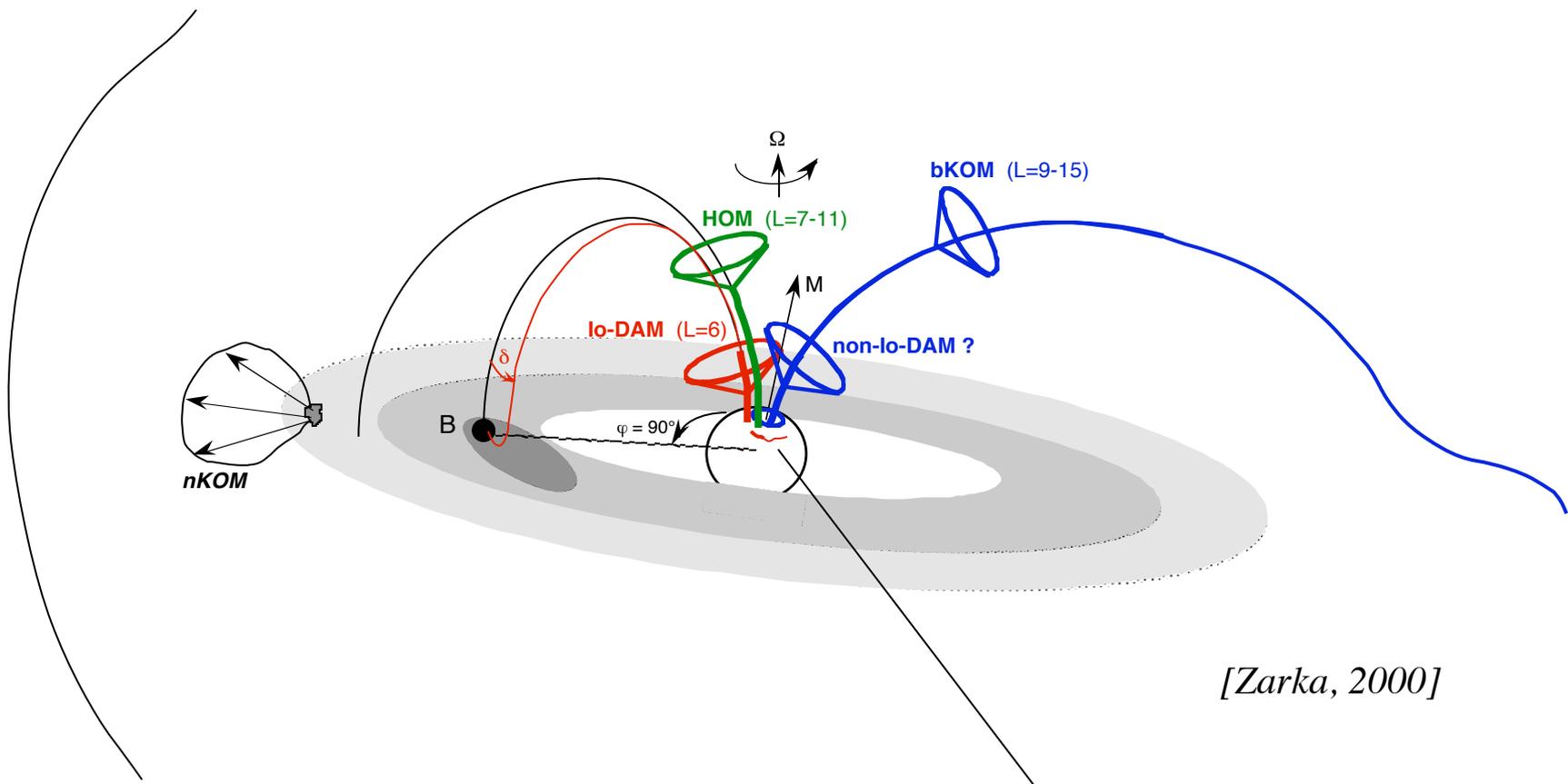
- 1955 : discovery of Jovian DAM

- 1960's : discovery of Earth's AKR/TKR

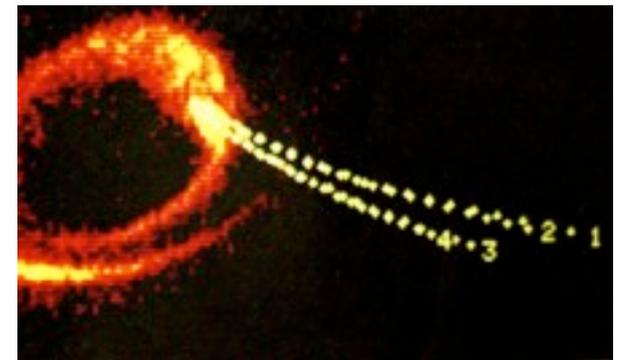
- 1970's-80's : Voyager era  
⇒ SKR, UKR, NKR

⇒ all gas giants strongly magnetized



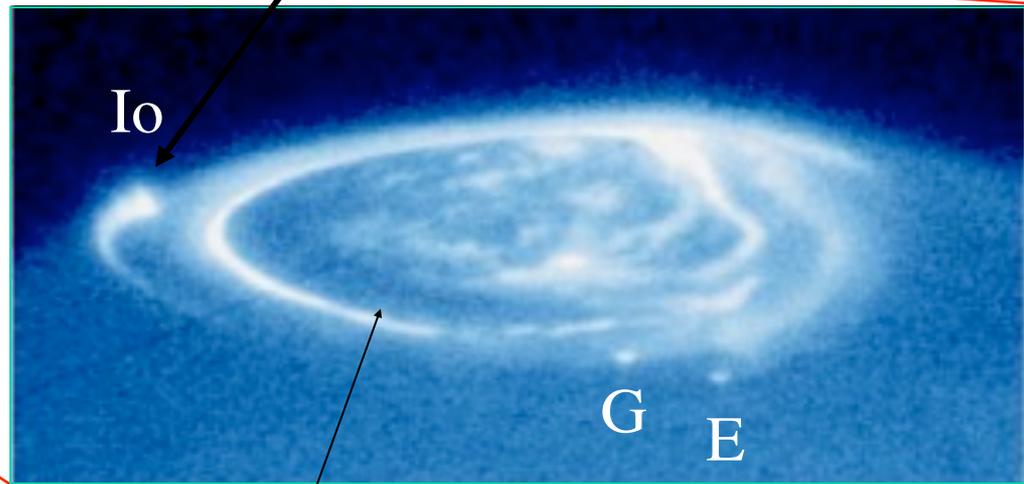
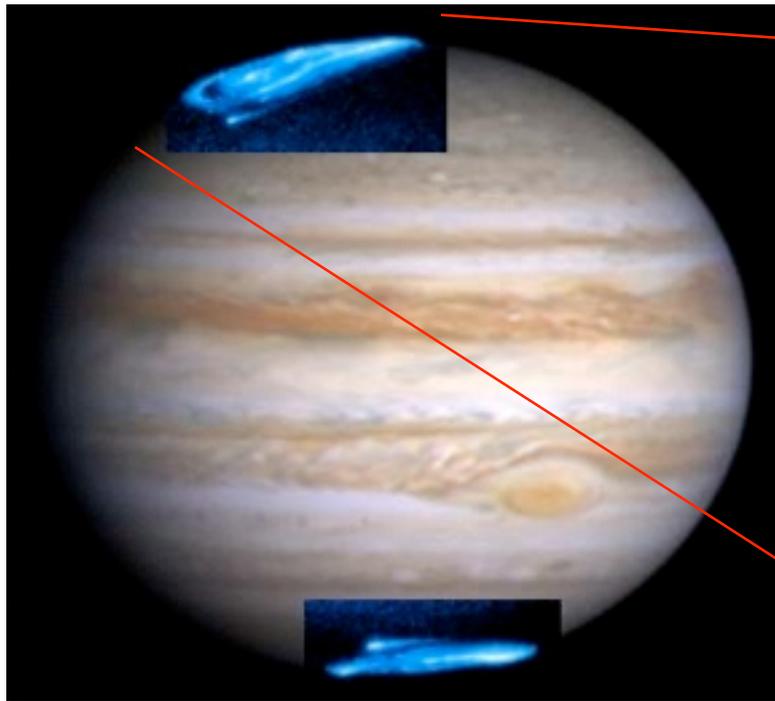
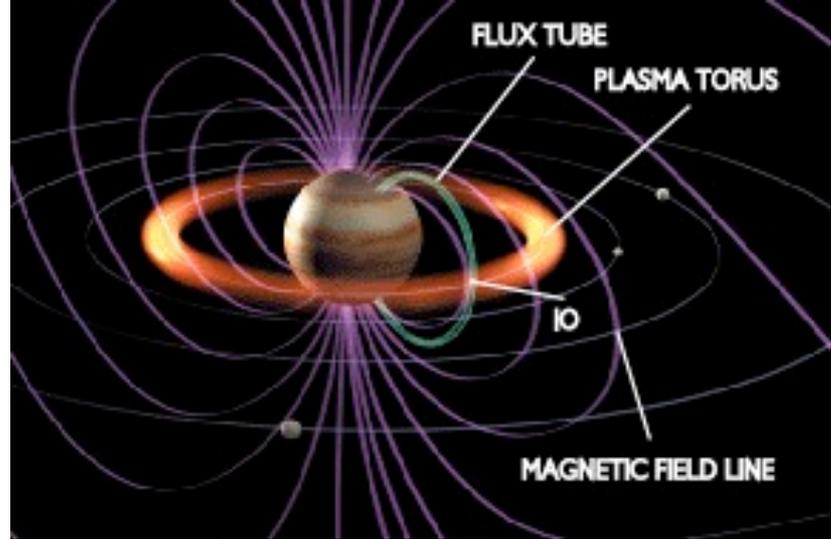


[Zarka, 2000]



[DE-2, Huff et al., 1988]

- 5 radio planets
  - $\geq 6$  LF (KOM-DAM) radio components ( $\times 2$ )
- (auroral/polar + Io-driven)



Main oval

UV ( $H_2$ , Lyman- $\alpha$ ) [Prangé et al., 1996]

# Planetary Radio Emissions

- nonthermal cyclotron emission "bursts"

- ( $f \sim f_{ce}$ )

- broadband ( $\Delta f \sim f$ )

- very

- intense

( $T_B >$

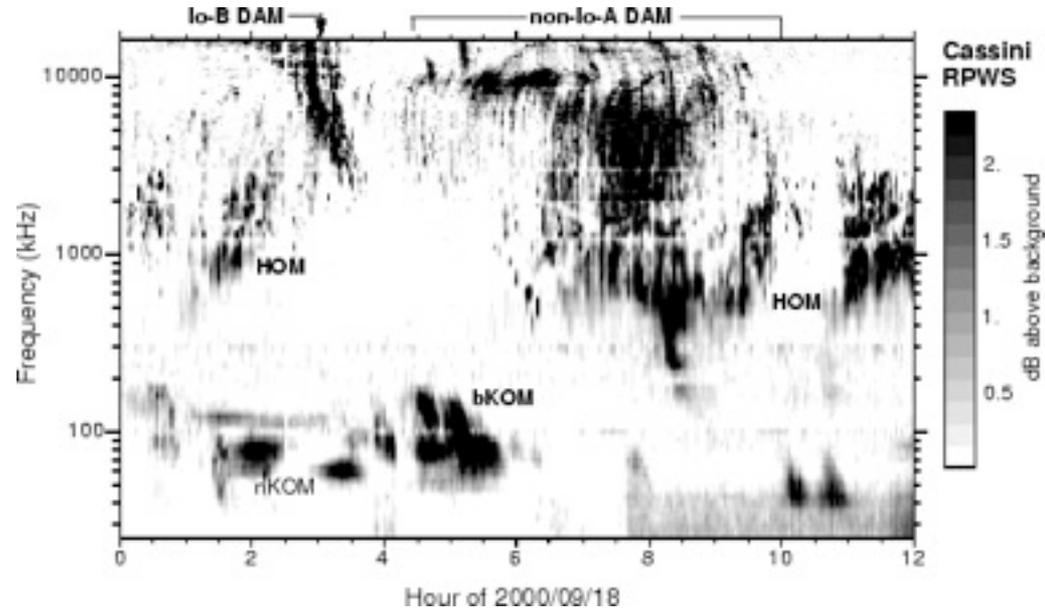
$10^{15-20}$  K,  $P \geq 10^{7-11}$  W, 1% of auroral input power in CMI radio radiation)

- contrast / Sun  $\sim 1$

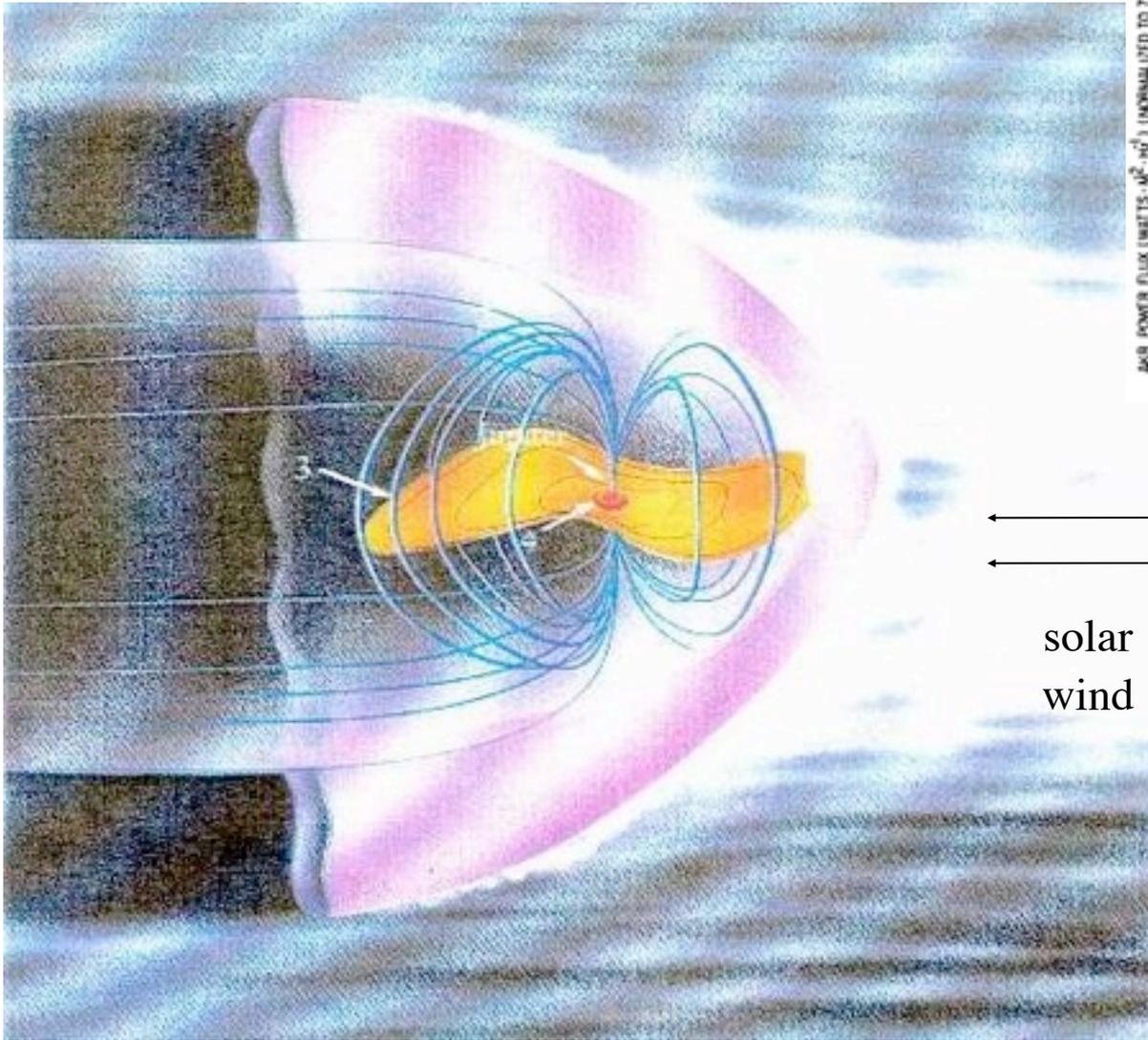
- anisotropic beaming (cone 1.1-1 sr / B)  $\Rightarrow$  rotation modulation

- circular / elliptical polarization

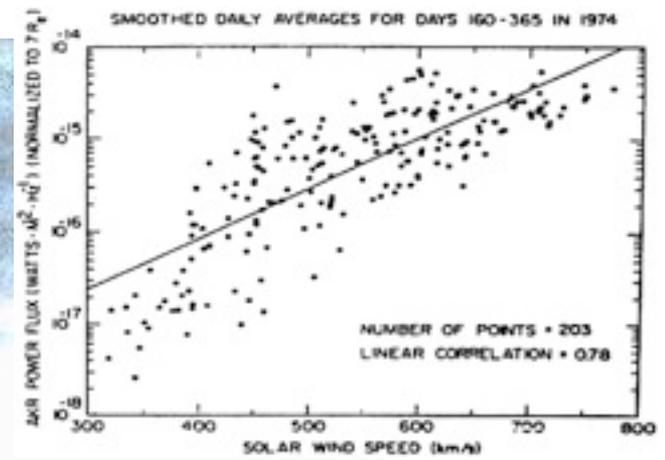
- Theory = Cyclotron Maser Instability (B, keV  $e^-$ ,  $f_{pe} \ll f_{ce}$  in source)



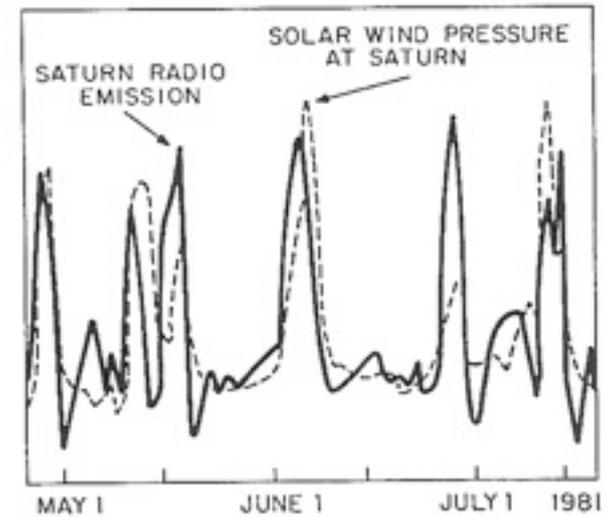
[Zarka et al., 2001]



solar  
wind



[Gallagher and d'Angelo, 1979]

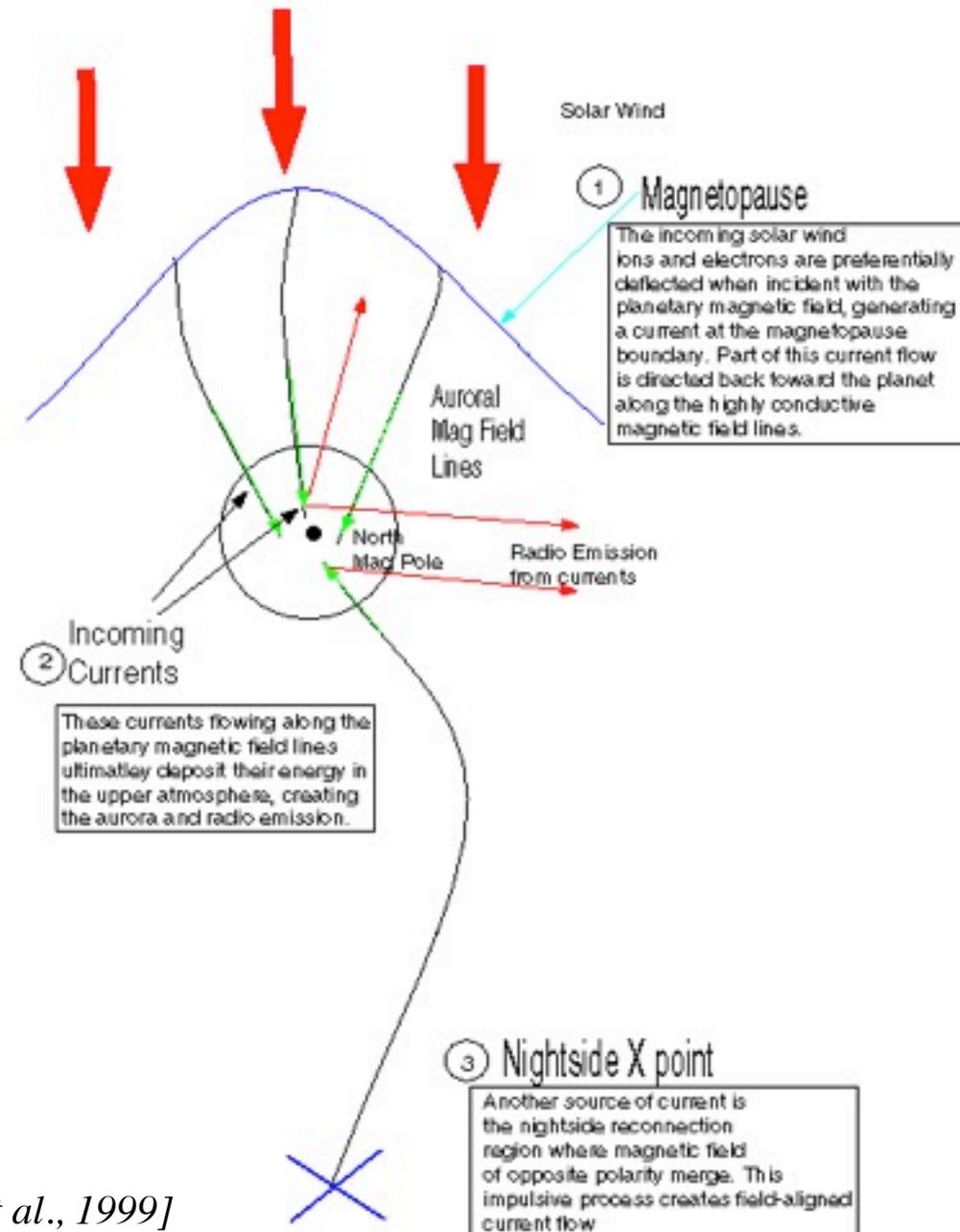


[Desch, 1981, 1982]

- Strongly solar wind driven (rotation also very important at Jupiter)

⇒ magnetic reconnection  
(tail, magnetopause nose) ?

⇒ magnetospheric  
compressions ?



[Farrell et al., 1999]

## Can we detect extrasolar planets in the LF radio range ? (< 100 MHz)

### Interests :

- planetary rotation period
- remote / comparative diagnostic of magnetospheric processes (B, radio flux, energy output)
- possible discovery of "intense" radio-exoplanets

- Maximum distance of detectability

$$d_{\max} = \left( \alpha S_j A_e / 2 n k T_s \right)^{1/2} \times (b \tau)^{1/4}$$

$\sim 10^{-18} \text{ Wm}^{-2}\text{Hz}^{-1}$  ( $10^8 \text{ Jy}$ )  
from 1 AU distance

( $25 \mu\text{-Jy}$  from 10 pc, peak  $\geq \times 10 \sim \text{mJy}$ )

$\sim 3$

$\sim 2 \times 10^4 \text{ K @ 30 MHz}$   
( $10^3 \text{ K @ 100 MHz}$ ,  
 $3 \times 10^5 \text{ K @ 10 MHz}$ )

$\Rightarrow$  for  $\alpha = 1$  :  $d_{\max} \text{ (pc)} = 2.5 \cdot 10^{-6} A_e^{1/2} (b\tau)^{1/4}$

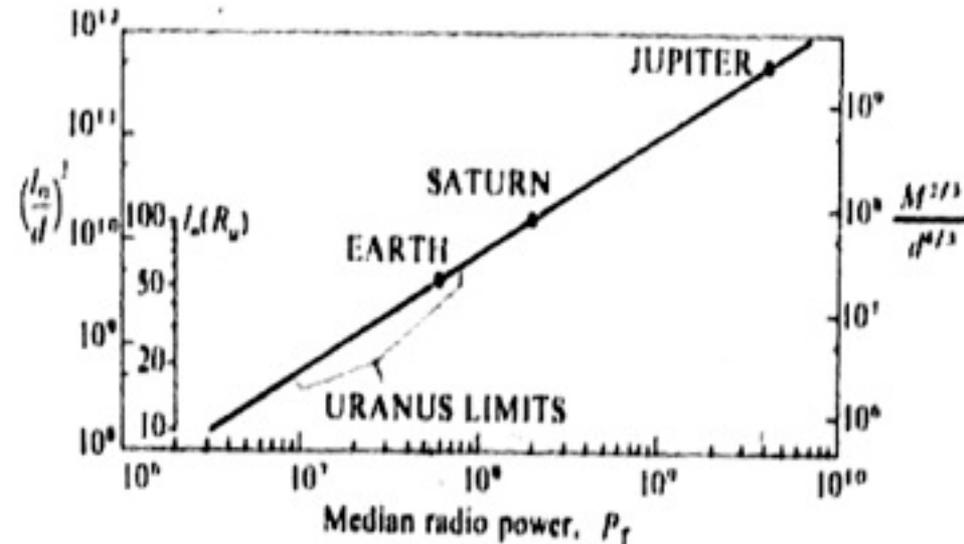
	$b \tau = 10^6$ (1 MHz, 1 sec)	$b \tau = 2 \times 10^8$ (3 MHz, 1 min)	$b \tau = 4 \times 10^{10}$ (10 MHz, 1 hr)
$A_e = 10^4 \text{ m}^2$ (Nançay)	<b>0.013</b>	<b>0.05</b>	<b>0.17</b>
$A_e = 10^5 \text{ m}^2$ (Kharkov)	<b>0.040</b>	<b>0.15</b>	<b>0.55</b>

- Prediction of planetary radio flux from first principles not doable

⇒ heuristic scaling laws ?

## "kinetic" radio scaling law ...

$$P_{\text{radio}} \propto M^{2/3} d^{-4/3} (N^{2/3} V^{7/3})$$



**M** = planetary magnetic dipole moment

[Desch and Kaiser, 1984]

**d** = Sun-planet distance

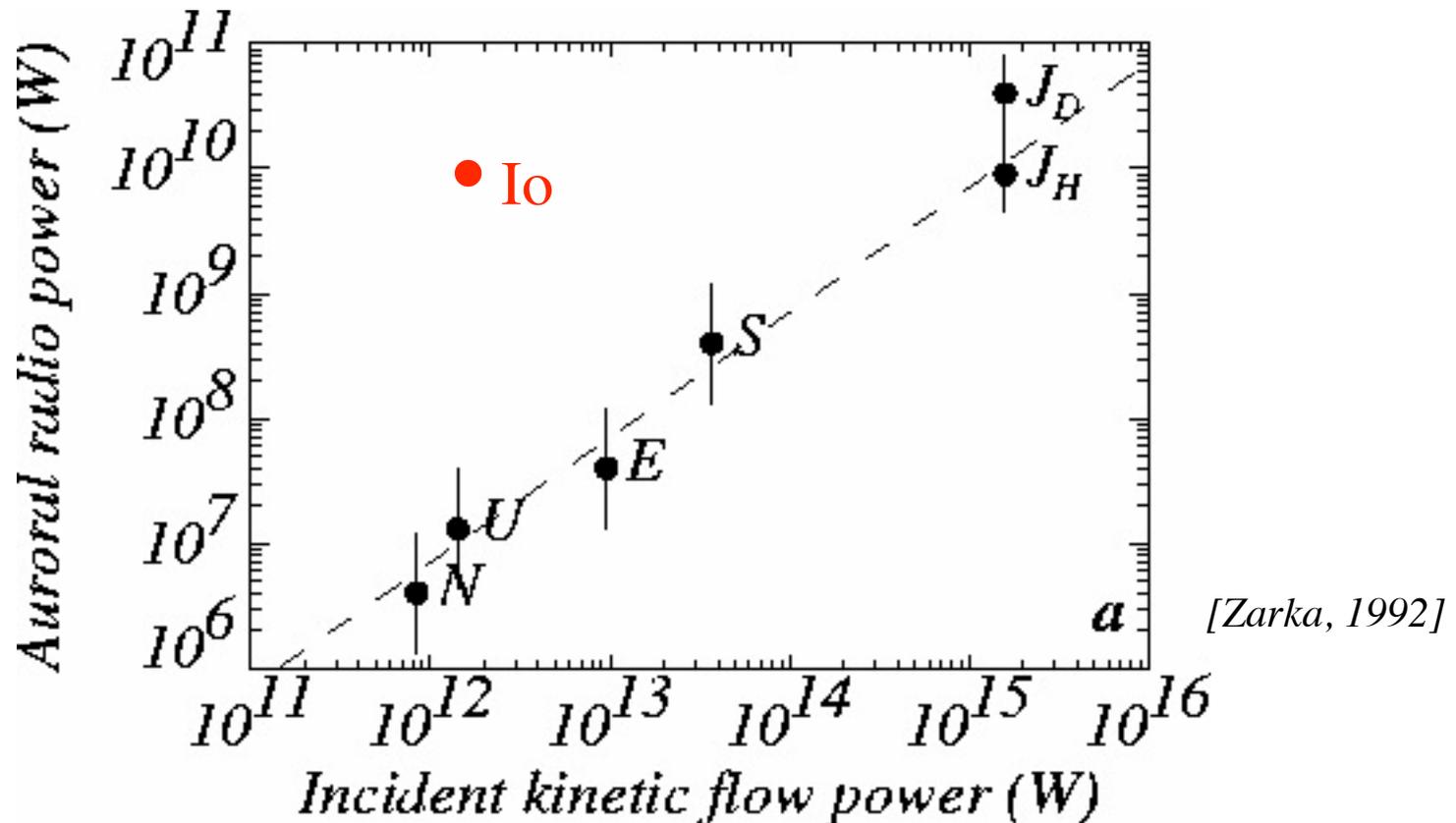
(**N**=solar wind density at 1 AU, **V**=bulk velocity)

⇒ predictions for Uranus (1986)

... extended to Uranus & Neptune, Jovian HOM/non-IO-DAM  
(mostly SW driven)

$$P_{\text{radio}} = 2S\Omega R^2 \Delta f \propto P_{\text{RAM}} = (N_o/d^2) m_p V^3 \pi R_{\text{mp}}^2$$

⇒ >99% correlation, slope ~1,  $\propto \sim 7 \times 10^{-6}$



- Note that Io-induced emission does not fit

**Table 1:** Average flux density, beaming, bandwidth and power of planetary radio emissions.

	Earth (auroral)	Jupiter (auroral)	<i>Jupiter (Io- induced)</i>	Saturn (auroral)	Uranus (auroral)	Neptune (auroral)	
Name of radio component	TKR	<i>HOM</i>	DAM	<i>Io-DAM</i>	SKR	UKR	NKR
Average flux density $S^a$ ( $Wm^{-2}Hz^{-1}$ )	$5 \times 10^{-21}$	$10^{-19}$	$10^{-19}$	$\sim 10^{-19}$	$2 \times 10^{-20}$	$4 \times 10^{-22}$	$2 \times 10^{-22}$
Radio beam “effective” solid angle $\Omega$ (sr)	0.5 – 1.	1. – 2.	0.5 – 1.	<b>0.1 – 0.2</b>	0.5 – 1.	~1.	~1.
Average spectrum width $\Delta f$ (MHz)	0.2 – 0.4	1 – 2	10 – 20	<b>10 – 20</b>	0.4 – 0.8	~0.7	~0.5
Average radio power $P_r$ (W)	$4 \times 10^7$	$9 \times 10^9$	$4 \times 10^{10}$	<b><math>\sim 10^{10}</math></b>	$4 \times 10^8$	$1.3 \times 10^7$	$4 \times 10^6$
Power normalized to Earth’s case $P_r / P_{r,e}$	1	~200	1000	<b>~250</b>	10	~0.3	0.1

<sup>a</sup>  $S$  = average flux density normalized to a 1 AU distance (see text for the way  $S$  is computed).

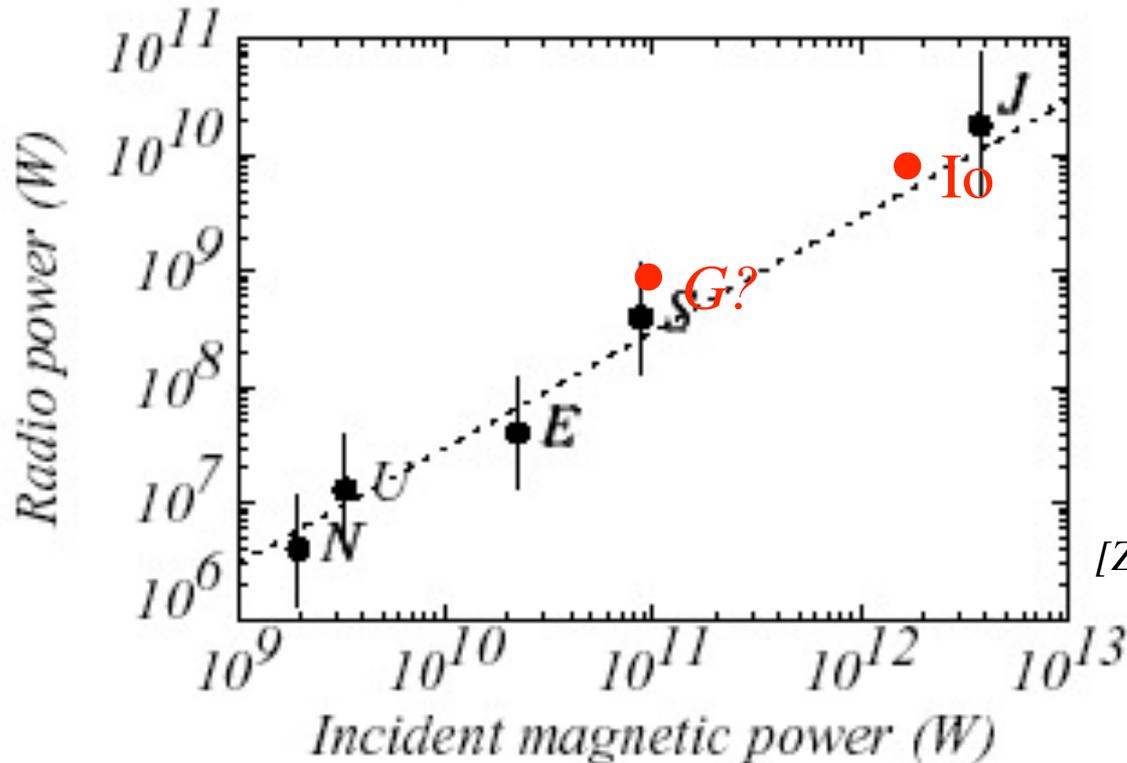
**Table 2:** Radiated power of auroral radio emissions, incident solar wind power on magnetosphere, and corresponding efficiencies.

	Earth (auroral)	Jupiter (auroral)	Saturn (auroral)	Uranus (auroral)	Neptune (auroral)	
Name of radio component	TKR	<i>HOM</i>	DAM	SKR	UKR	NKR
Average radio power $P_r$ (W)	$4 \times 10^7$	$9 \times 10^9$	$4 \times 10^{10}$	$4 \times 10^8$	$1.3 \times 10^7$	$4 \times 10^6$
Planetary radius $R_p$ (km)	6378	71400	71400	60330	26200	24760
Orbital radius (AU)	1.	5.2	5.2	9.6	19.2	30.1
Magnetic dipole moment ( $G \cdot R_p^3$ )	0.31	4.3	4.3	0.21	0.23	0.14
Computed $R_{mp}$ ( $R_p$ )	10	43	43	19	25	24
Measured $R_{mp}$ ( $R_p$ )	10	60	60	20	18	23
Solar wind incident kinetic (ram) power $P_{ram}$ (W)	$9.6 \times 10^{12}$	$1.6 \times 10^{15}$	$1.6 \times 10^{15}$	$3.7 \times 10^{13}$	$1.4 \times 10^{12}$	$8.4 \times 10^{11}$
“radio-to-kinetic” efficiency $\alpha$ ( $\times 10^{-6}$ )	4.2	5.6	25	10.8	9.2	4.8
“radio-to-magnetic” efficiency $\beta$ ( $\times 10^{-3}$ )	1.8	2.4	10.7	4.6	3.9	2.1

## "magnetic" radio scaling law

$$P_{\text{radio}} \propto P_{\text{IMF}} = (B_{\perp}^2 / 2\mu_0) V \pi R_{\text{obs}}^2$$

⇒ >99% correlation, slope ~1,  $\propto \sim 3 \times 10^{-3}$  (in SW magnetic energy density = kinetic / 400, both vary in  $d^{-2}$  beyond ~1 AU)



[Zarka et al., 2001]

- Io (and Ganymede?) fit well, considering Jovian magnetospheric incident magnetic power ! (NB: dissipated power of Io-Jupiter electrodynamic circuit ~magnetic energy flux on obstacle)

## Generalization : $\alpha$ ?

- Auroral radio emissions driven

by Solar Wind /  
Magnetosphere interaction

- Satellite induced radio emission(s) driven

by Magnetosphere / Satellite interaction

$\Rightarrow$  in both cases  $\rightarrow$  flow-obstacle  
interaction

$\rightarrow$  keV

e-

$\rightarrow$

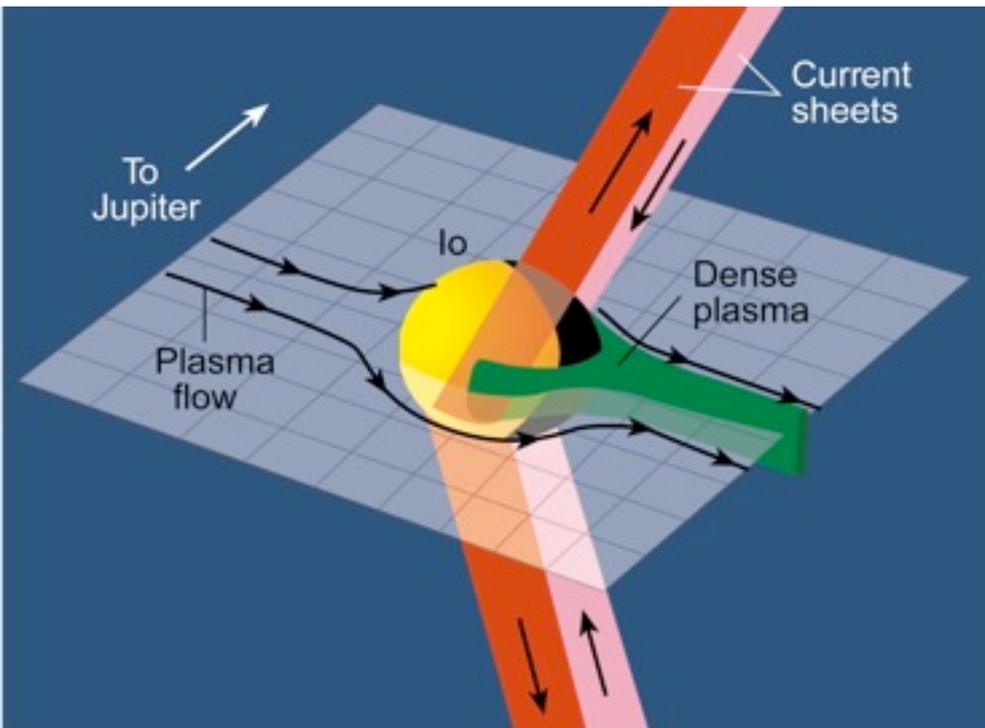
cyclotron radio emission near magnetized body

- In spite of complex chain of

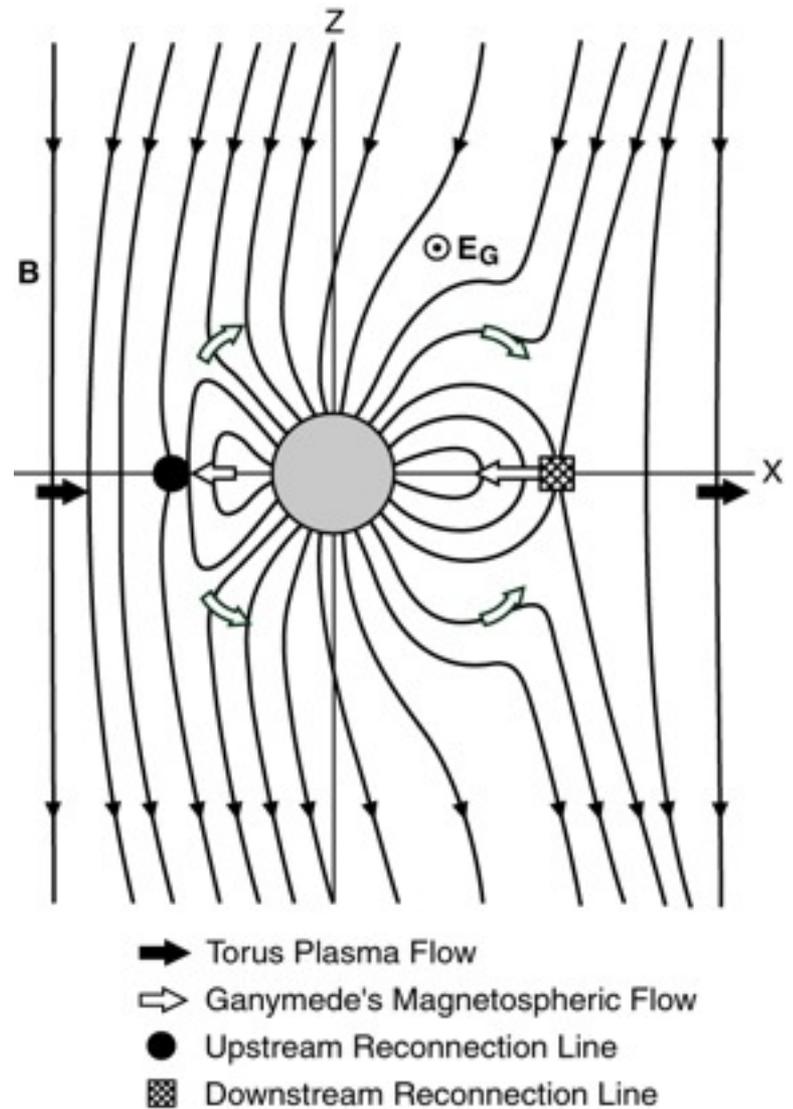
processes,

existence of scaling

laws in our solar system :

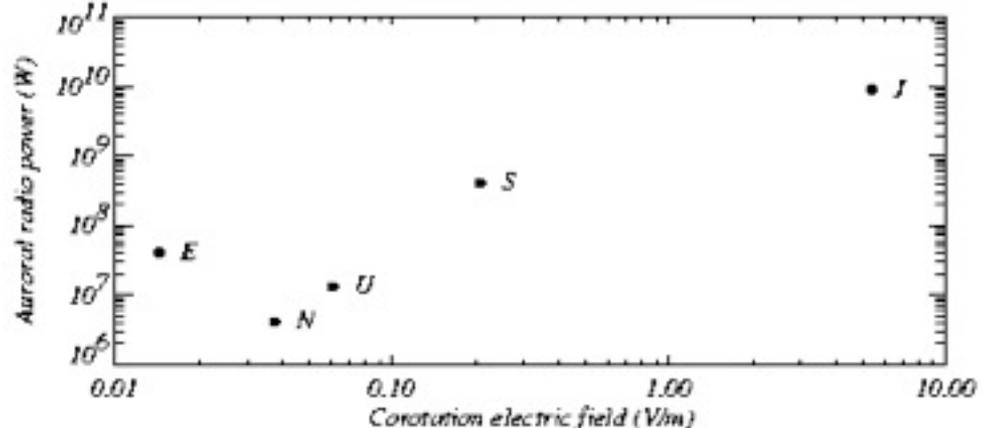
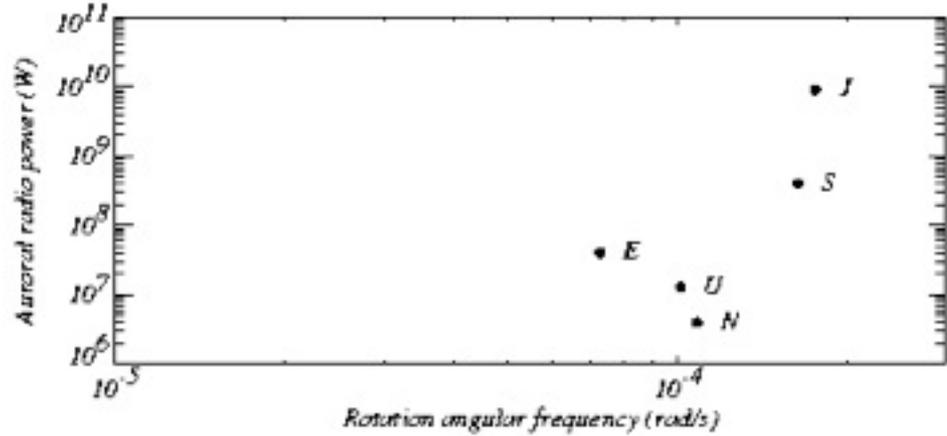
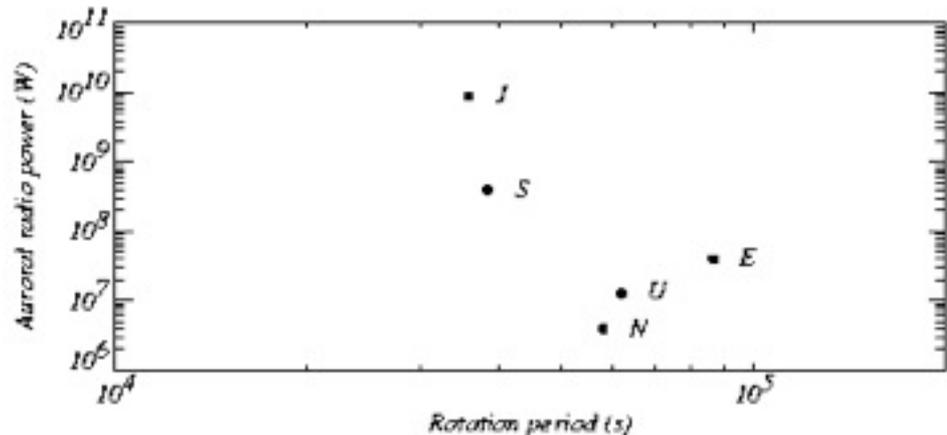


Io-Jupiter : Alfvén waves

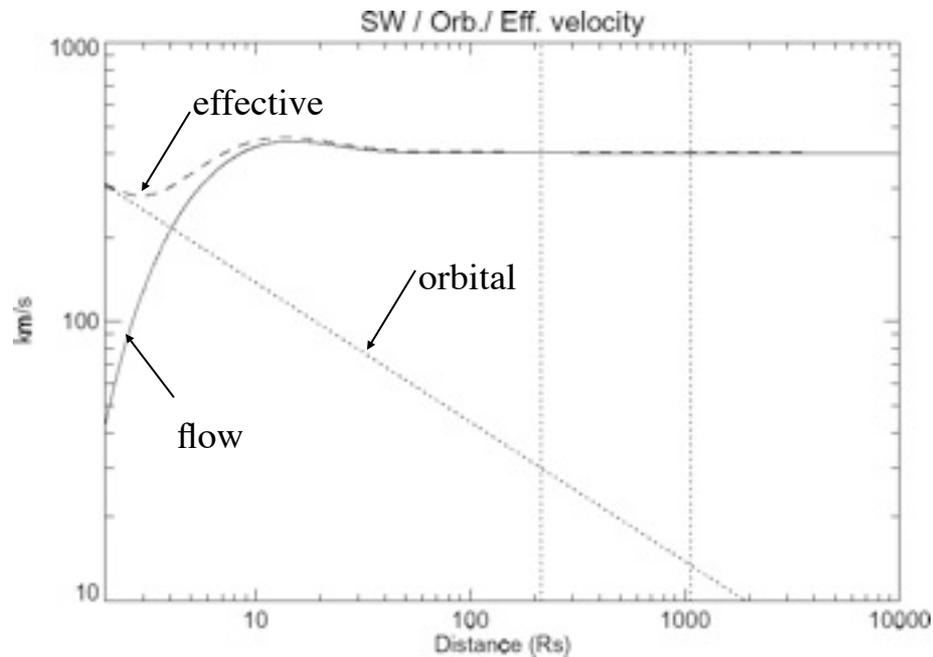
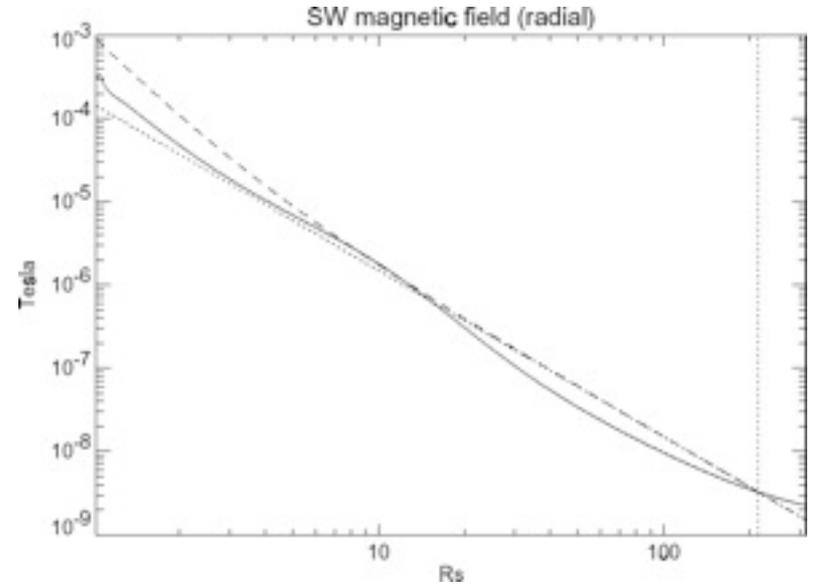
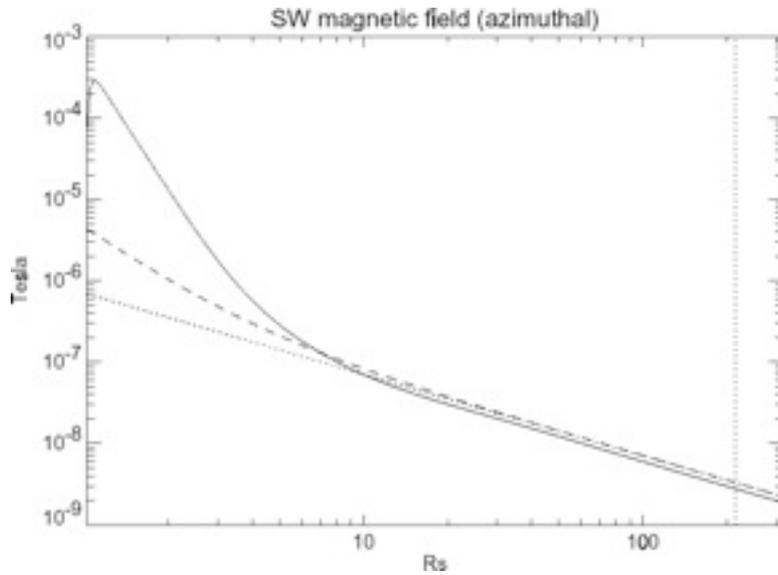


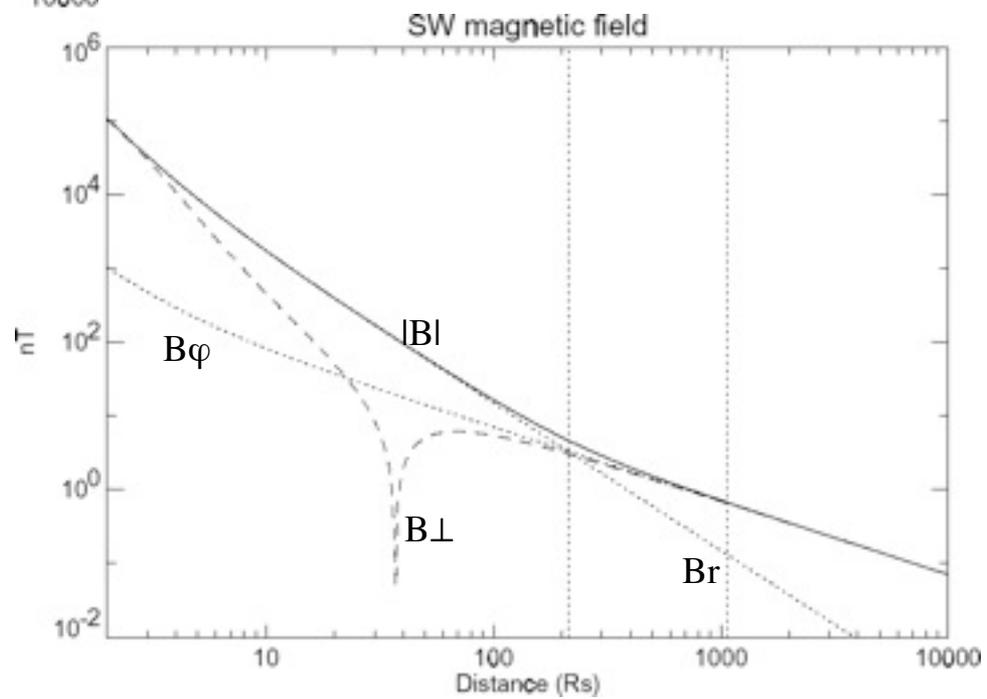
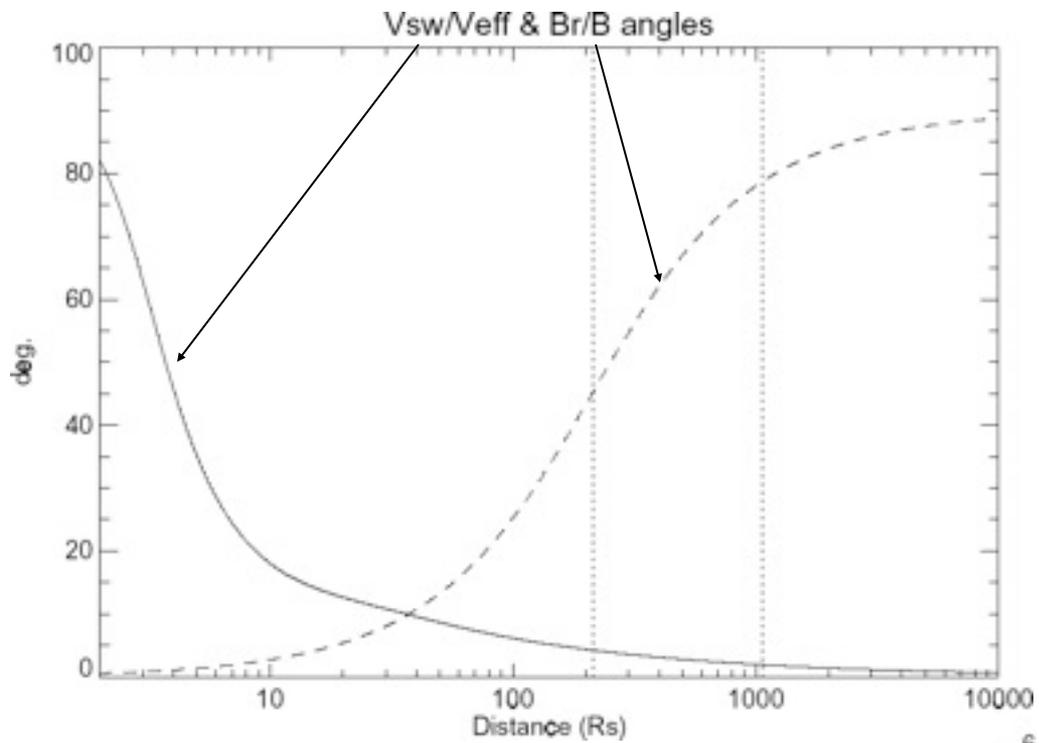
Ganymede-Jupiter : magnetic reconnection

- No correlation between Radio power and rotation

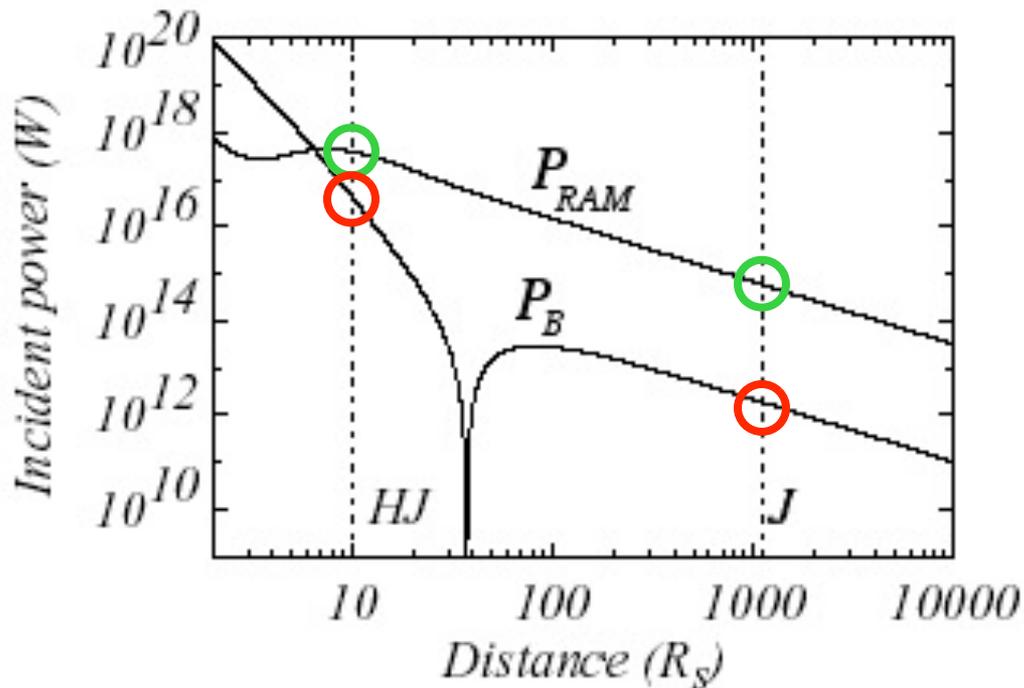
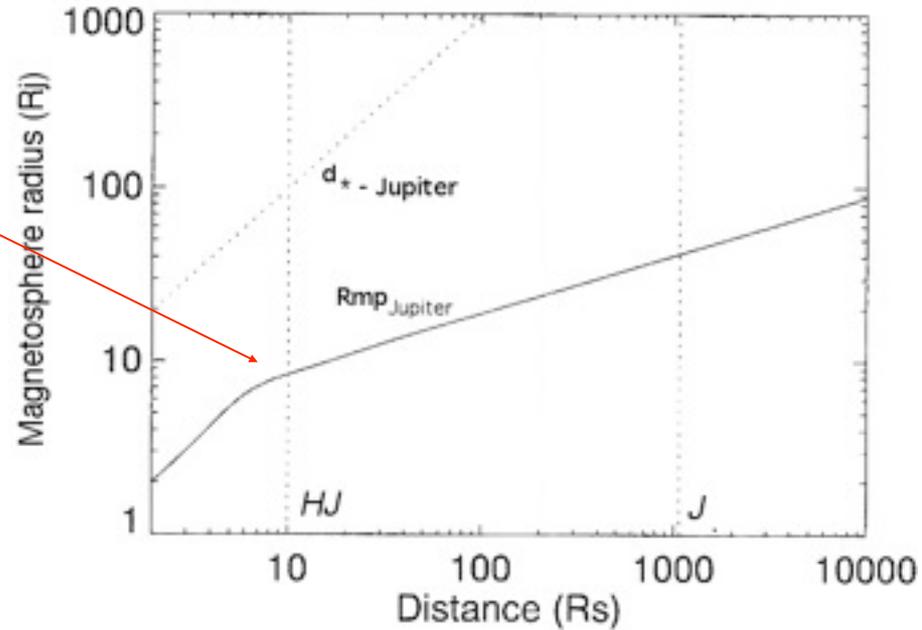


# Extrapolation of kinetic and magnetic radio scaling laws



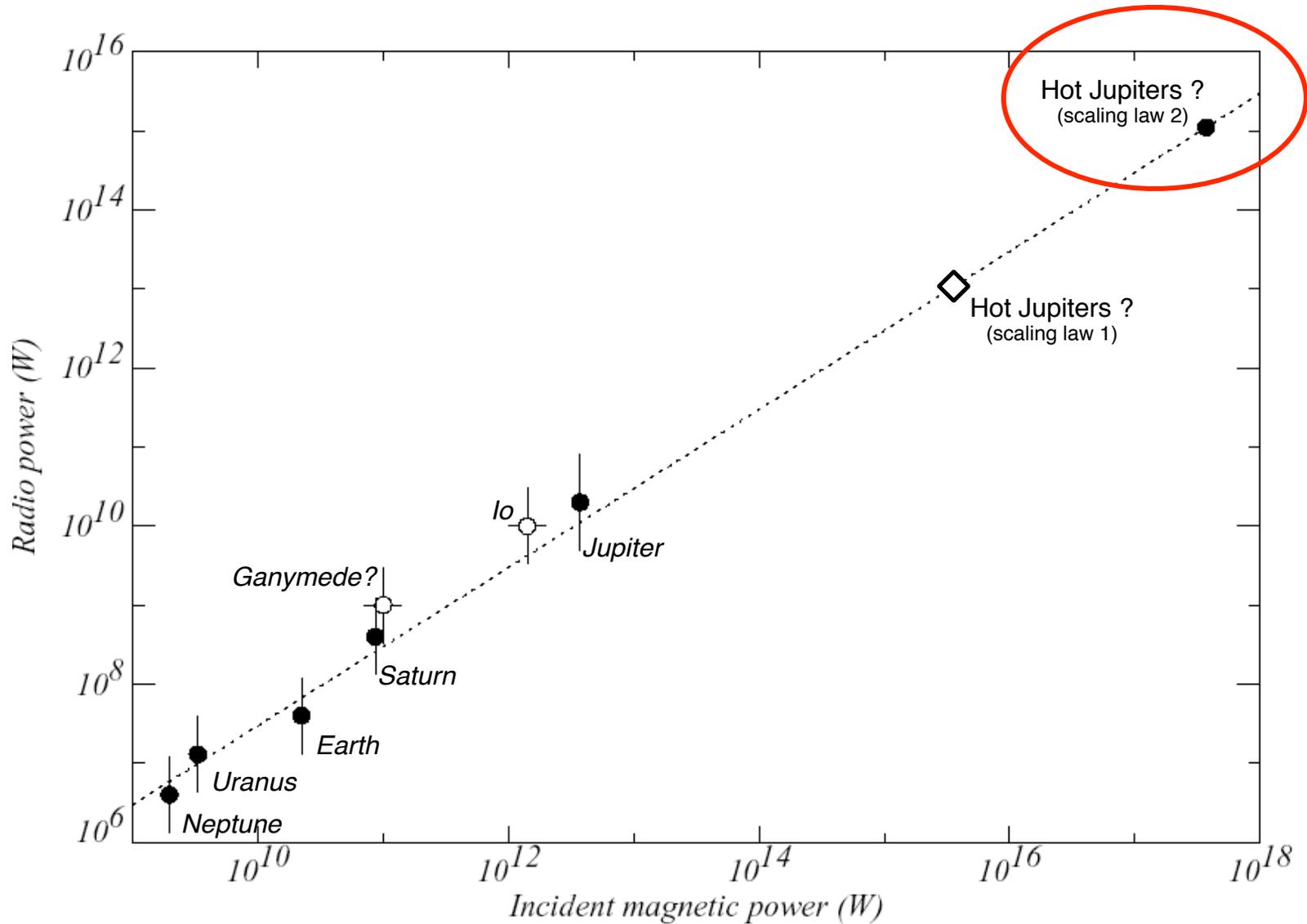


- magnetospheric shrinking



- increased power for Hot Jupiters  
 $\Rightarrow 10^3 \times$  to  
 $10^5 \times$  Jupiter's flux

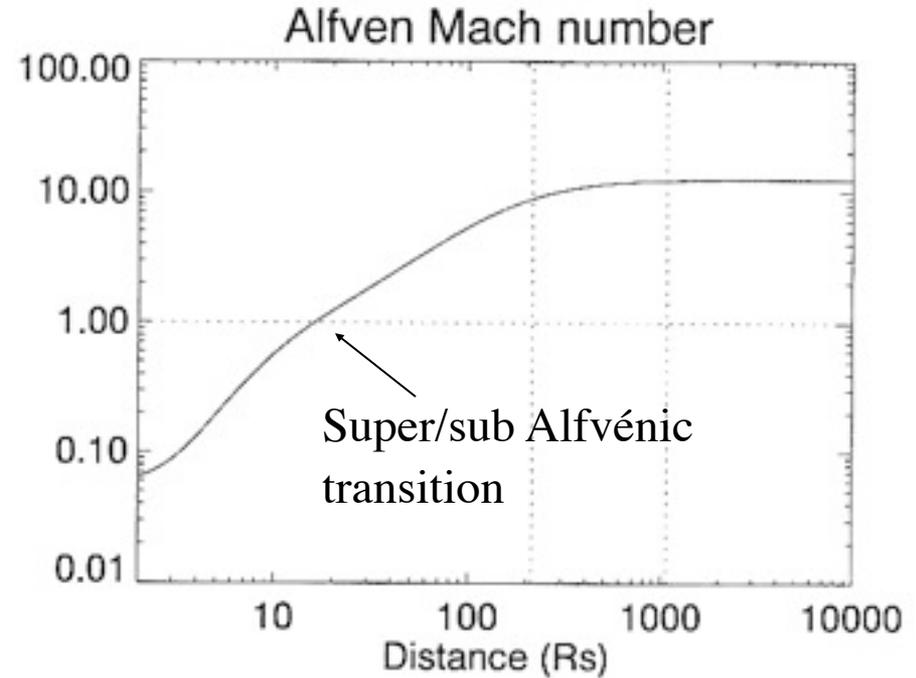
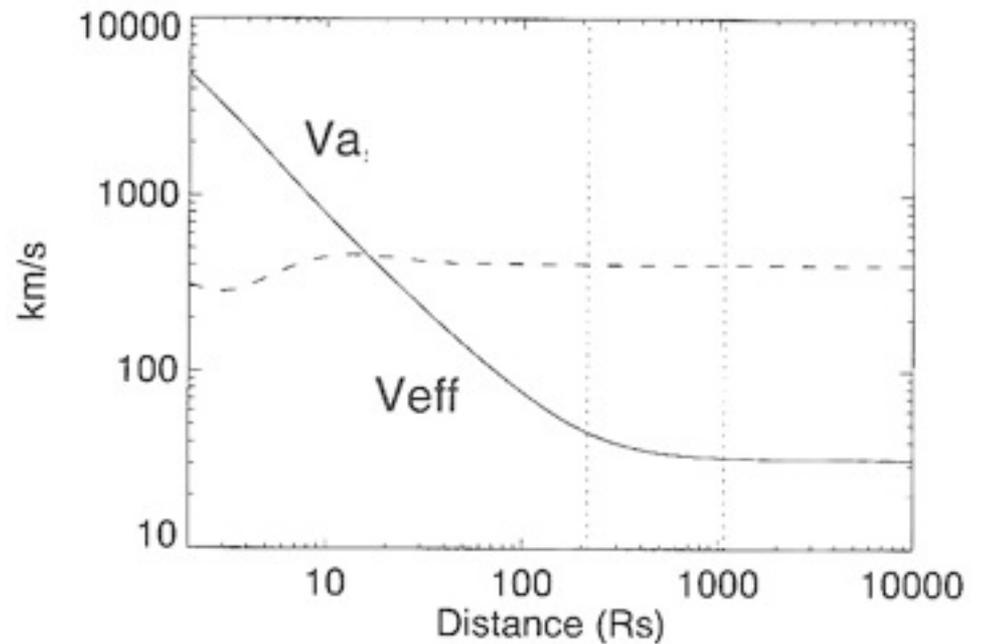
- same for radio flux ?  
*except if unexpected "saturation" mechanism*



## If planet not magnetized ?

- HJ in sub/trans-Alfvénic regime

⇒ giant analogous of  
Io(planet)-Jupiter(star)  
interaction ?



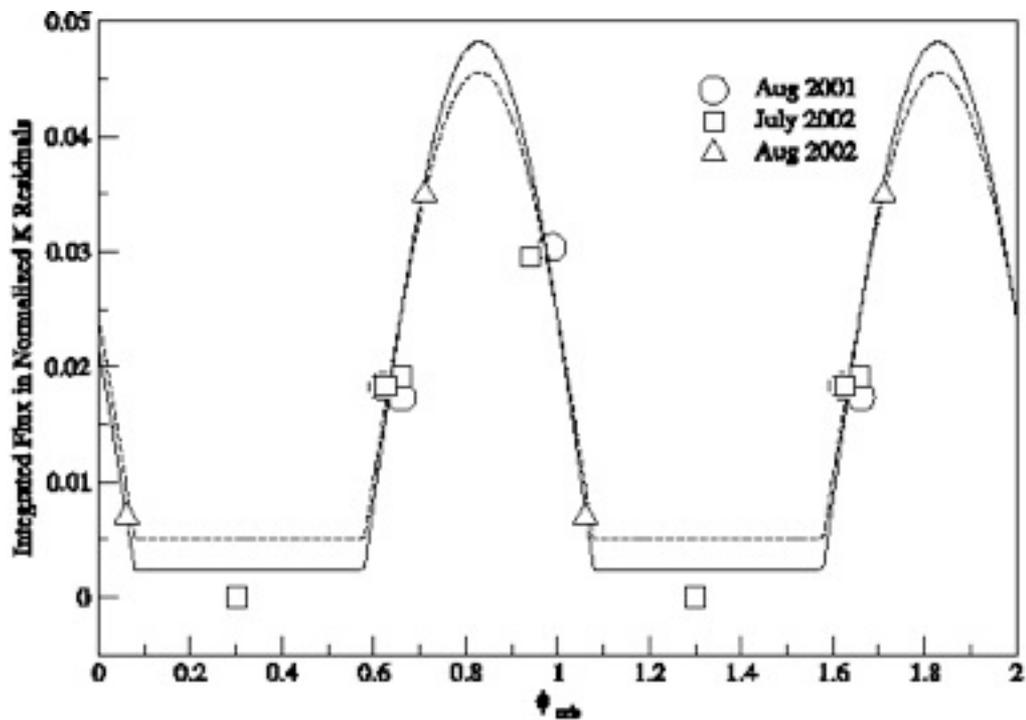
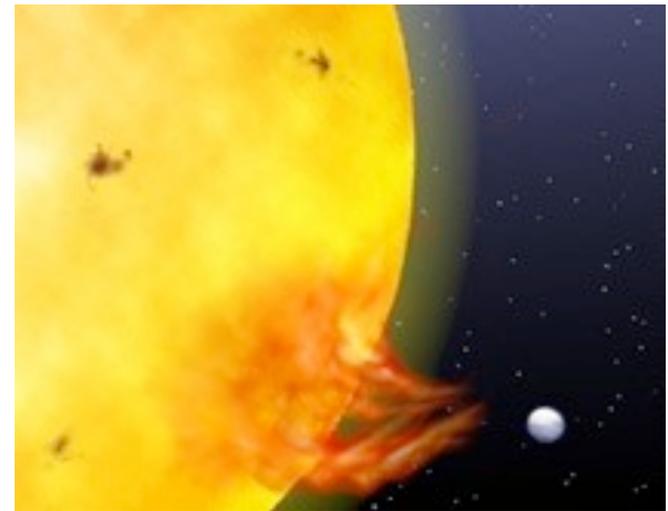
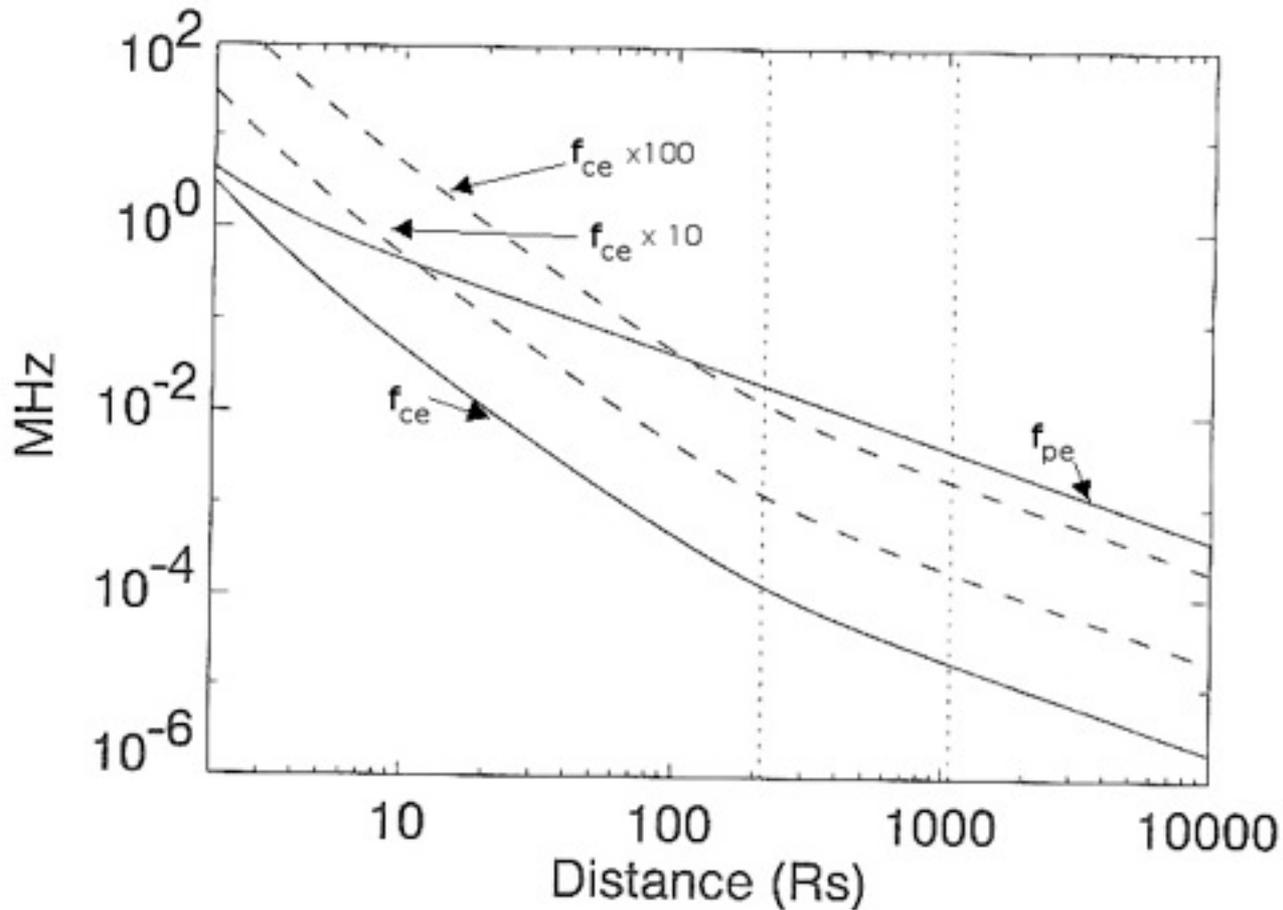


FIG. 6.—Integrated flux of the nine K-line residuals taken from a normalized mean spectrum. The minimum flux was set to zero and all others scaled accordingly. The size of the points is the size of the error bars. The solid line is the best-fit bright-spot model discussed in the text with the spot at a latitude of  $30^\circ$  and stellar inclination angle  $i = 87^\circ$ . The dashed line is a model with  $i = 83^\circ$ . Units of the integrated flux are in equivalent angstroms relative to the normalization level, which is approximately 1/3 of the stellar continuum.



[Shkolnik et al., 2003]

- but  $f_{pe}/f_{ce}$  in solar corona not favourable to Cyclotron Maser  
Instability except in strongly magnetized regions (loops ...)



⇒ exoplanetary driver of strongly magnetic radio flaring stars ?  
(check for periodicities !)

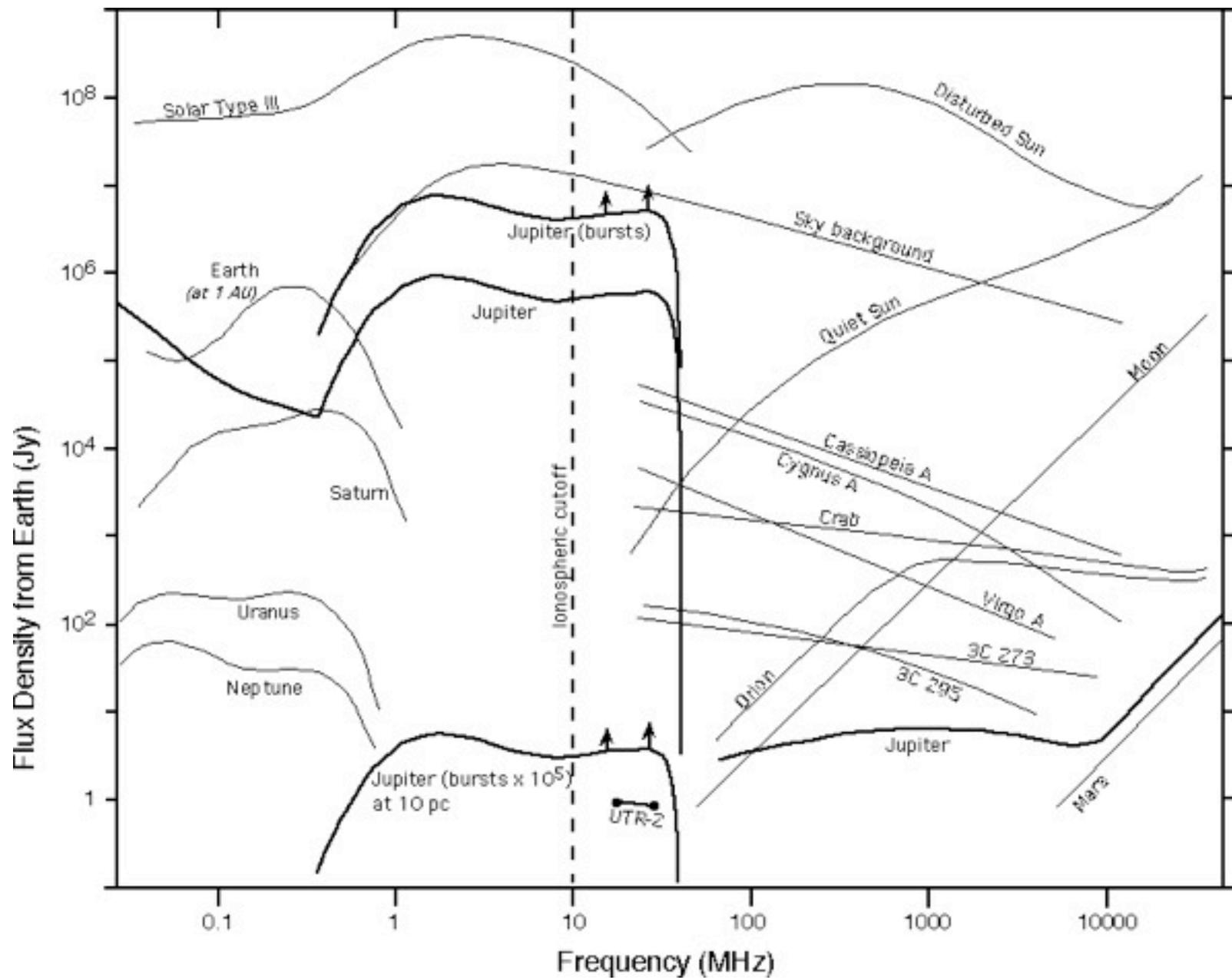
- Maximum distance of detectability : Hot Jupiters

⇒ for  $\alpha = 10^5$

	$b \tau = 10^6$ (1 MHz, 1 sec)	$b \tau = 2 \times 10^8$ (3 MHz, 1 min)	$b \tau = 4 \times 10^{10}$ (10 MHz, 1 hr)
$A_e = 10^4 \text{ m}^2$ (Nançay)	<b>4</b>	<b>16</b>	<b>54</b>
$A_e = 10^5 \text{ m}^2$ (Kharkov)	<b>13</b>	<b>47</b>	<b>174</b>
$A_e = 10^6 \text{ m}^2$ (LOFAR)	<b>41</b>	<b>158</b>	<b>537</b>

+ Stellar type ⇒  $P_{\text{SW}}$  up to  $\times 10^{2-3}$

+ Scintillations ⇒  $P_{\text{radio}}$  up to  $\times 10^2$



- *Extrapolation of kinetic radio scaling law to a dozen HJ*

+ *heuristic scaling law for planetary magnetic fields*

("Blakett-like" :  $M \propto m^{1-2.5}$   
 $\omega^{0.5-1}$   $\omega = 10-100$   
*hours*)

$\Rightarrow$  *estimates of  $f_{ce}$  and radio flux*

$\Rightarrow$  *Tau Bootes best "high frequency" candidate*

	mj	d (AU)	$2\pi/\omega$ (hr)	s (ly)	$f_c$ (MHz)	Radio Power (W)	S (milliJy)
51 Peg	0.47	0.05	101	50	0.7	$1 \times 10^{11}$	0.012
						$4 \times 10^{13}$	3.9
$\psi$ And	0.68	0.06	110	54	1.1	$1 \times 10^{11}$	0.007
						$5 \times 10^{13}$	2.4
55 Cnc	0.84	0.1	351	44	0.5	$4 \times 10^{10}$	0.007
						$8 \times 10^{12}$	1.5
$\rho$ CrB	1.1	0.2	10	54	27	$2 \times 10^{11}$	$3 \times 10^{-4}$
						$6 \times 10^{13}$	0.13
16CygB	1.5	1.72	10	72	46	$2 \times 10^{10}$	$2 \times 10^{-5}$
						$4 \times 10^{12}$	0.003
47 UrcMaj	2.8	2.11	10	46	130	$3 \times 10^{10}$	$2 \times 10^{-5}$
						$6 \times 10^{12}$	0.004
$\tau$ Bootes	3.9	0.05	79	49	28	$1 \times 10^{12}$	0.003
						$8 \times 10^{14}$	2.2
70 Vir	6.6	0.4	10	59	545	$4 \times 10^{11}$	$4 \times 10^{-5}$
						$2 \times 10^{14}$	0.023
HD114762	10.0	0.3	10	91	1090	$1 \times 10^{12}$	$2 \times 10^{-5}$
						$8 \times 10^{14}$	0.015

# • Observations of Tau Bootes with the VLA

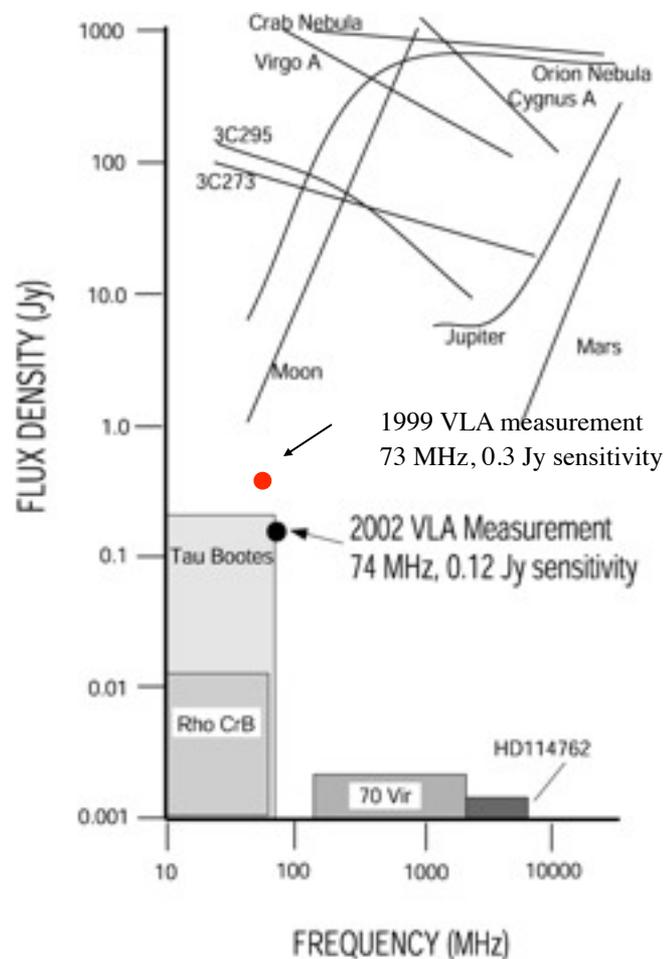
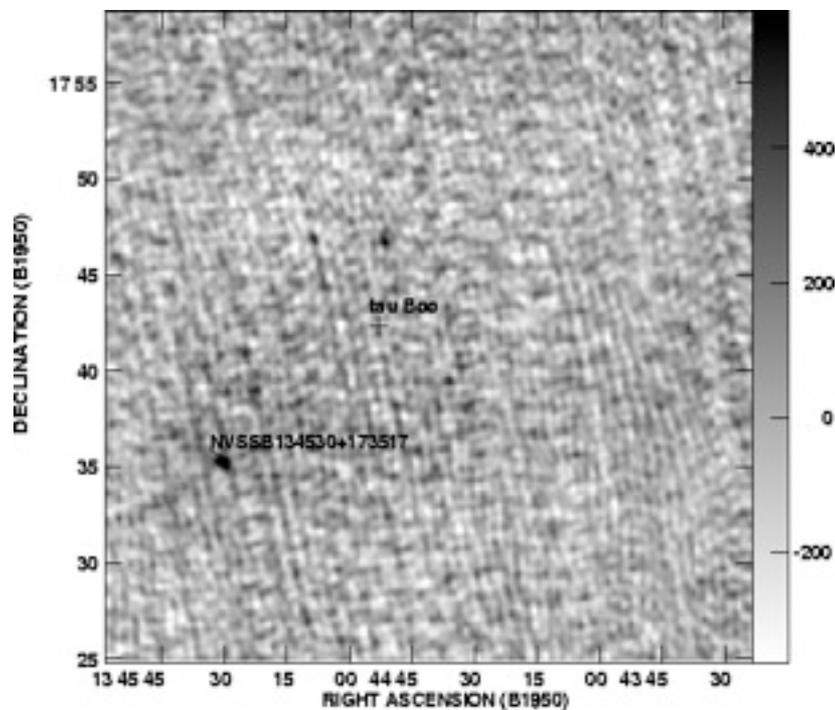
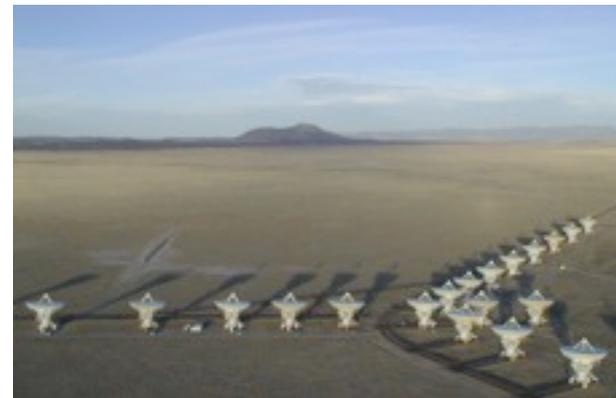
→ 27 × 25m antennas :  $A_{\text{eff}} \sim 13000 \text{ m}^2$

→  $\leq 1.5 \text{ MHz}$  band at 73-74 MHz

→  $\geq 0.4'$  beam

→ 2 polar

→ spatial maps



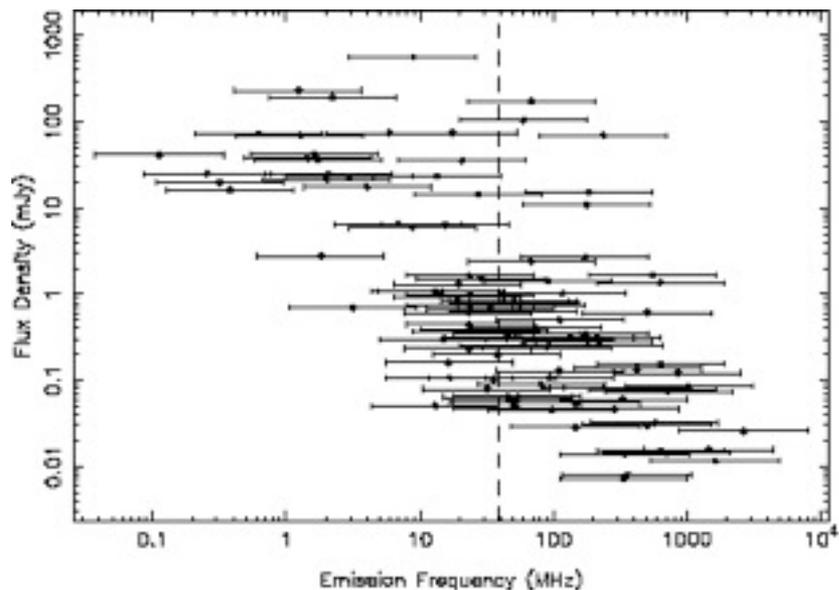


Fig. 1.— The predicted “burst” flux densities for the 106 known extrasolar planets vs. the characteristic emission frequency based on the radiometric Bode’s law of equations (3) and (4). The horizontal bars indicate the assumed ranges for the emission frequencies, allowing for the statistical variations in the planetary magnetic moments. The expected *burst* flux densities are obtained by assuming that increases of roughly a factor of 100 can be obtained by larger stellar wind loading of the planet’s magnetosphere. The vertical dashed line indicates the approximate cutoff frequency for Jupiter.

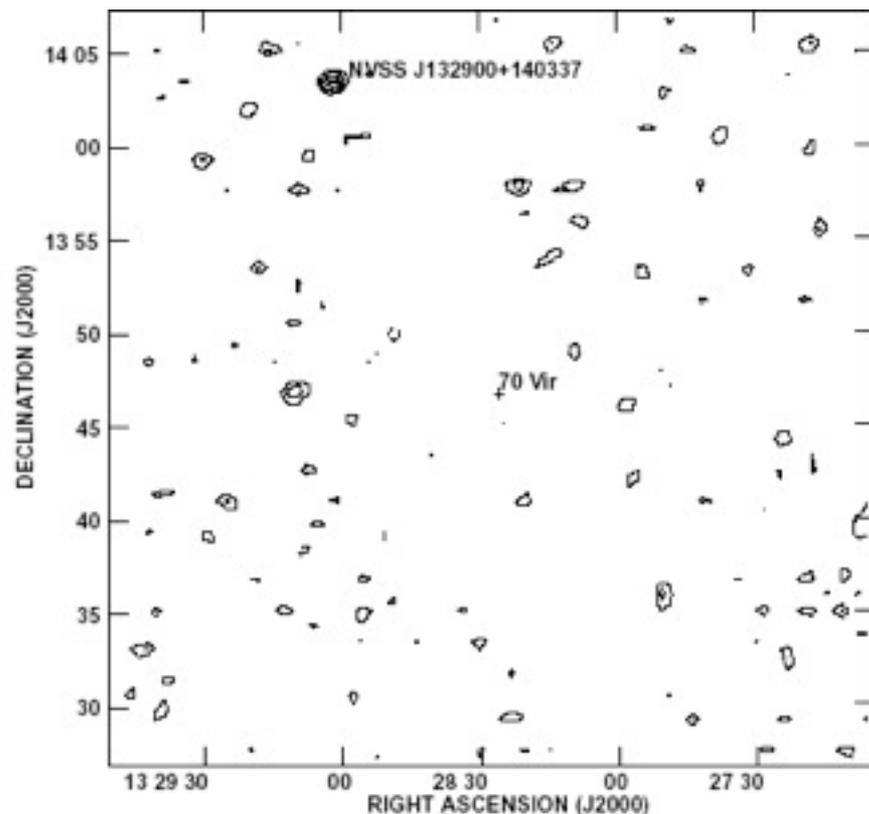


Fig. 2.— The field around 70 Vir at 74 MHz, illustrating the typical field observed. The noise level is  $0.13 \text{ Jy beam}^{-1}$ , with a  $25'' \times 25''$  beam. The contours are  $0.13 \text{ Jy beam}^{-1} \times -3, 2, 3, 4, 5, 7.07, \text{ and } 10$ . The position of 70 Vir is marked by a cross. Also indicated is the radio source NVSS J132900+140337, likely to be an extragalactic radio source.

# • LOFAR : the LOW Frequency ARray

→ Interferometer of phased arrays

→  $A_e \sim 10^6 \text{ m}^2$  (250 000  $\text{m}^2$  "core" +  $\sim 100$  "stations")

→ wide-field (a few  $^\circ$ s) imagery with  $1''$ - $10''$  angular resolution

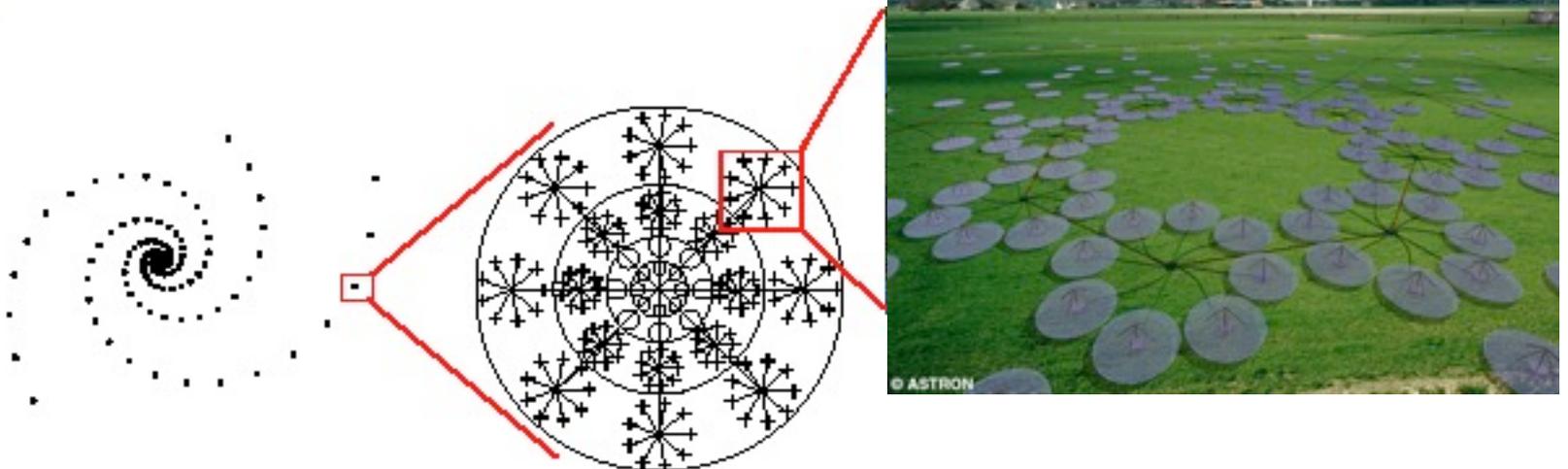
→ 32 MHz  $\subset$  10-220 MHz

→ fully digital, resolutions down to 1 kHz  $\times$  1 msec / spectral maps

→ multi beam (up to 8 simultaneously)

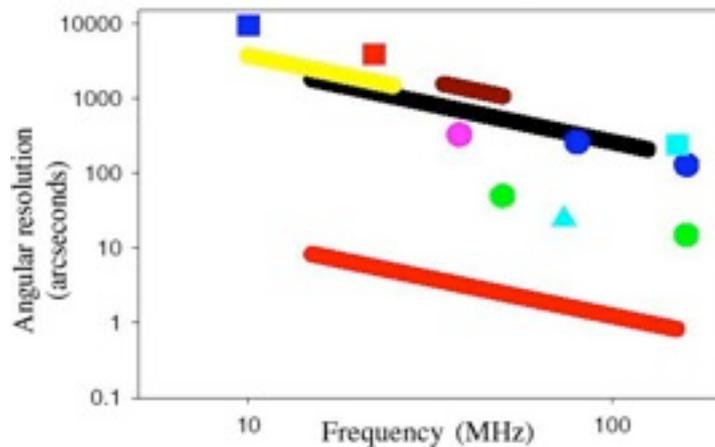
→ full polarization (4 Stokes parameters)

→ sensitivity  $\ll 1 \text{ Jy}$

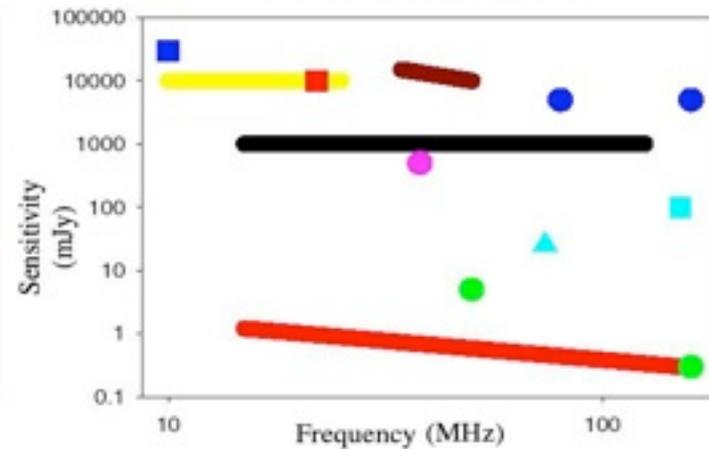


Frequency (MHz)	Effective Area (m <sup>2</sup> )	Sensitivity (mJy/4 MHz)		Resolution		Beamsize	
		Array	VC	Array (")	VC (')	Array (')	VC (°)
15	$1.3 \times 10^6$	98	400	12	41	1260	90
30	$3.3 \times 10^5$	68	280	6.2	21	650	90
75	$5.2 \times 10^4$	46	190	2.5	8.3	250	90
120	$3.3 \times 10^5$	2.4	10	1.5	5.2	160	23
200	$1.2 \times 10^5$	2.2	9	0.9	3.1	95	23

Angular Resolution vs. Frequency at Long Wavelengths



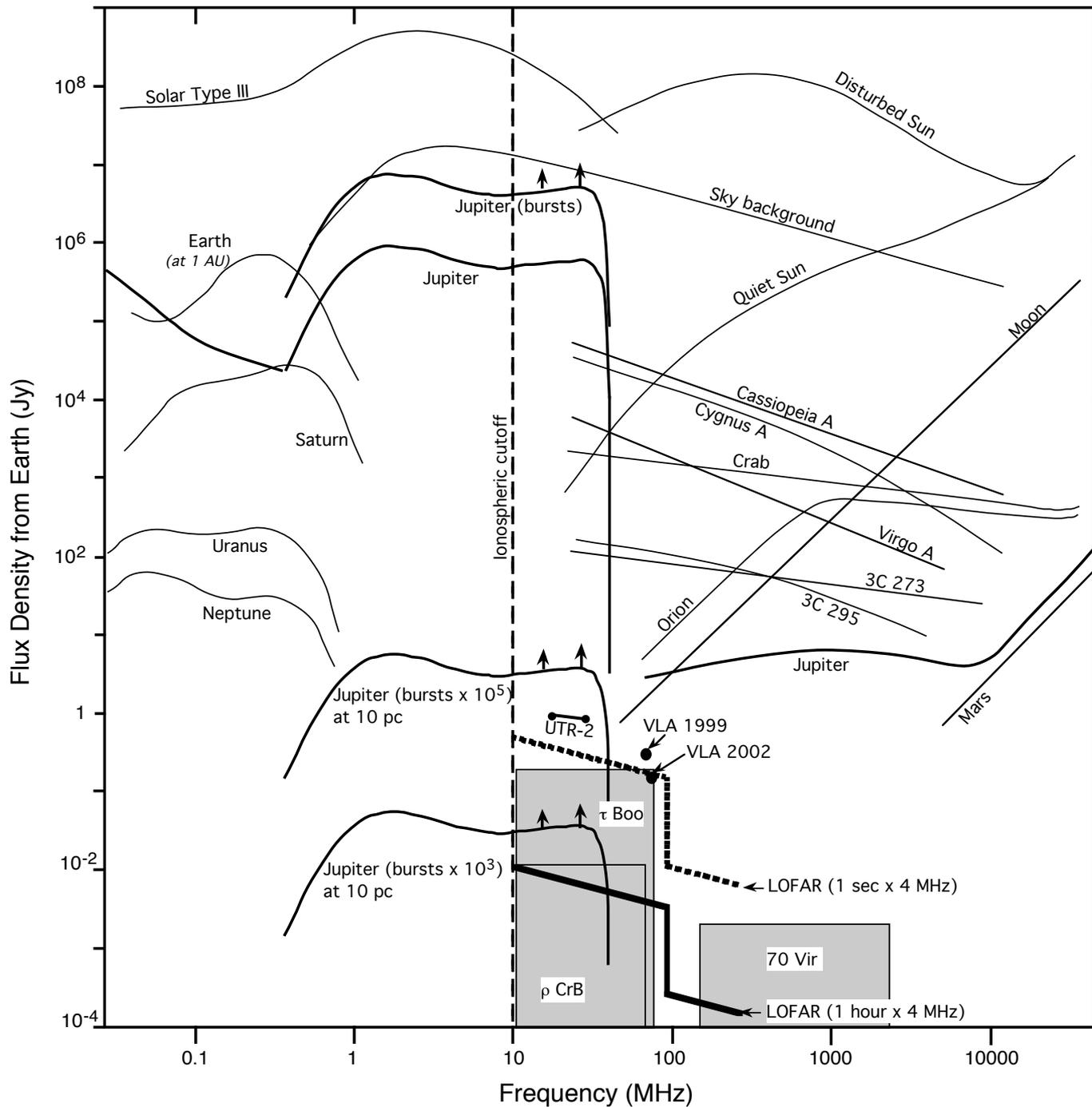
Sensitivity vs. Frequency at Long Wavelengths



- large dynamic range
- narrow beam  $\Rightarrow$  low "confusion"
- built-in RFI mitigation techniques + ionospheric correction  
 $\Rightarrow$  effective clean broad bandwidth & high sensitivity
- total flux detection of hot jupiters  $\Rightarrow$  polarization ?
- orbital motion through radio

astrometry ?  $\Rightarrow$  more distant planets

*Operations will start in 2006-07 ...*



## References

- W. M. Farrell, M. D. Desch, and P. Zarka : *On the possibility of coherent cyclotron emission from extrasolar planets*, J. Geophys. Res., 104, 14025-14032, **1999**.
- P. Zarka, R. A. Treumann, B. P. Ryabov, and V. B. Ryabov : *Magnetically-driven planetary radio emissions and applications to extrasolar planets*, Astrophys. Space Sci., 277, 293-300, **2001**.

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**« Save Research » day in France**

**with possible resign of 1/3 of  
all CNRS laboratory directors**